

PROBLEM: Designing a traffic light using a D f/f

state 0 (R/R) → state 1 (G/R) → state 2 (Y/R) → state 3 (R/R) → state 4 (R/G) → state 5 (R/Y); 6 states (000 – 101)

Current State Q(t) ABC	Next State Q(t+1) D_AD_BD_C		
000	0 0 1	00 01 11 10	D_A = BC + AC'
001	0 1 0	0 1	
010	0 1 1	1 1 x x	
011	1 0 0		
100	1 0 1		
101	0 0 0	<u>00 01 11 10</u>	D_B = BC' + A'B'C
		0 1 1	
		1 x x	
		<u>00 01 11 10</u>	D_C = C'
		0 1 1	
		1 x x	

WHAT IS NEXT ? COMPLETE THE CIRCUIT FOR THE TRAFFIC LIGHT

PROBLEM:

Add an Emergency State:

RY blink: for $x = 1$ go into emergency state
for $x = 0$ go into next state;

I will consider the emergency state to be 110. We have 6 states now and 4 variable table, for ABC and X. From emergency for $x=1$ stays in emergency for $x=0$ reset to 000. Since it was not clearly mentioned, you can also consider that by 0/1 stays in emergency state. In that case you will get different expressions for the f/f inputs.

Current Input Q(t)		Next Q(t+1)
ABC	X	D _A D _B D _C
000	0	001
000	1	110
001	0	010
001	1	110
010	0	011
010	1	110
011	0	100
011	1	110
100	0	101
100	1	110
101	0	000
101	1	110
110	0	000
110	1	110

PROBLEM:

A sequential circuit with two D f/f, A and B; two inputs , x and y and one output, z is specified by the following next-state and output functions:

$$A(t+1) = x'y + xA$$

$$B(t+1) = x'B + xA$$

$$Z = B$$

Derive the state table

Derive the state diagram

Draw the circuit

				DA	DB	
A	B	X	Y	A(t+1)	B(t+1)	Z

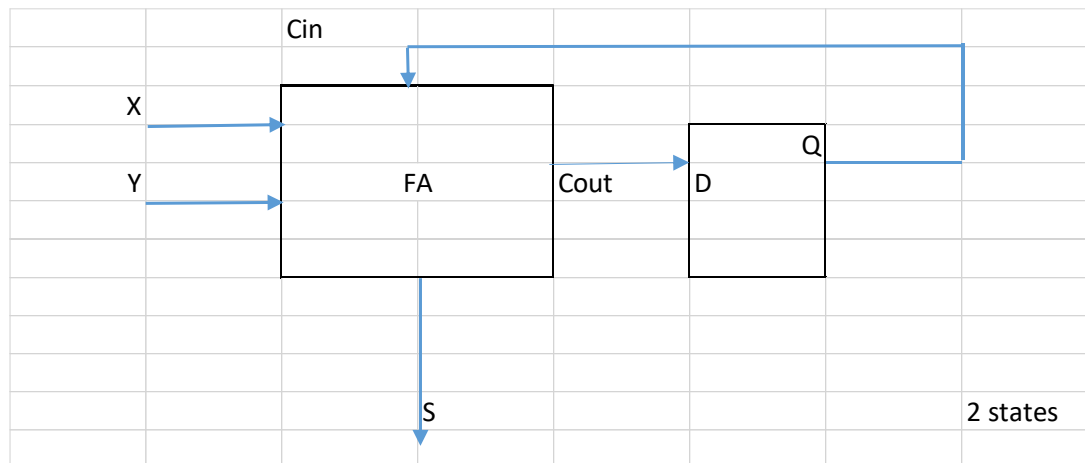
16 combinations

Take it from here

PROBLEM:

A sequential circuit has one f/f Q; two inputs, x and y; and one output S. It consists of a full adder circuit connected to a D f/f. Derive the state table and state diagram of the sequential circuit.

You already have the hint in the Timing Relationship

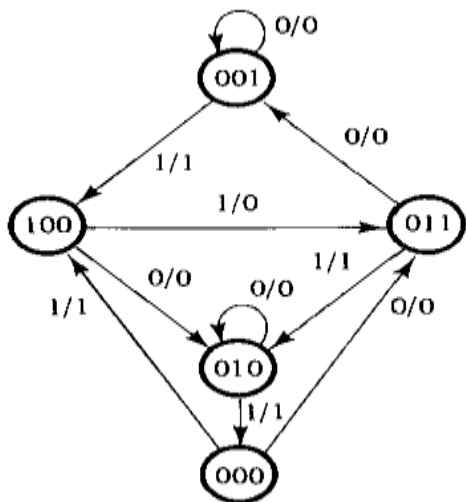


Cin: present state

Cout: next state

		Q(t)	D/Q(t+1)
X	Y	Cin	Cout

PROBLEM: A sequential circuit had three f/f A,B,C; one input x; one output y. The circuit is to be designed by treating the unused states as don't care conditions. Analyze if the circuit is self-correcting. Use D f/f in the design.



Present State	Input	Next State	Output
$Q(t)$	X	$Q(t+1)$	Y
ABC		$D_A D_B D_C$	
000	0	011	0
000	1	100	1
001	0	001	0
001	1	100	1
010	0	010	0
010	1	000	1
011	0	001	0
011	1	010	1
100	0	010	0
100	1	011	0

Unused states 101, 110 and 111

	00	01	11	10
00	1	1		
01				
11	x	x	x	x
10			x	x

	00	01	11	10
00	1			
01	1		1	
11	x	x	x	x
10	1	1	x	x

	00	01	11	10
00	1			1
01				1
11	x	x	x	x
10	1	x	x	x

$$D_A = A'B'X$$

$$D_B = A + C'X' + BCX$$

$$D_C = Cx' + AX + A'B'X'$$

$$Y = A'x$$

$$D_b: A=1 \ B=0 \ C=1 \ X = 0$$

Unused states: 101, 110, 111

State X

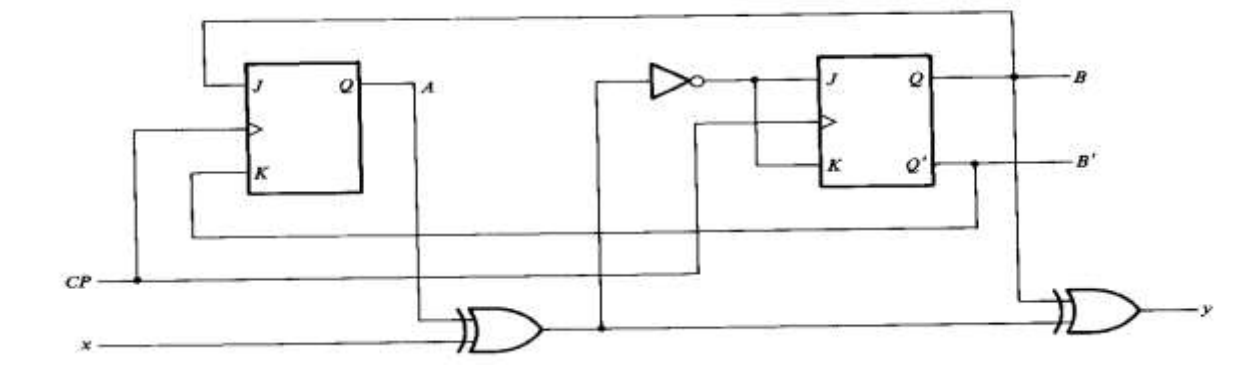
101	0	$D_B = 1, D_C = 1$	Next State = 111
101	1	$D_B = 1, D_C = 1$	Next State = 111

Continue.....

Conclusion:

Problem:

A sequential circuit has 2 JK f/f, one input x, and one output y. The logic diagram is shown below. Derive the state table and state diagram.



Get the expression of the f/f inputs (based on present states and external input)
Based on present state and f/f inputs get the next state

$$J_A = B \quad K_A = B' \quad J_B = (A \text{ XOR } X)' \quad K_B = (A \text{ XOR } X)'$$

$$Y = X \text{ XOR } A \text{ XOR } B \text{ (the odd function)}$$

<u>AB</u>	<u>X</u>	<u>J_A</u>	<u>K_A</u>	<u>J_B</u>	<u>K_B</u>	<u>Next</u>	<u>Y</u>
00	0						
00	1						
01	0						
01	1						
10	0						
10	1						
11	0						
11	1						

